

Competitive Price Targeting

Strategic Interactions in Mobile Marketing

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Mobile marketing and price targeting



- Targeting competitive locations to drive coupon redemption
 - Dunkin': 3.6%
 - Department store: 2%

Mobile marketing and price targeting



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Mobile marketing and price targeting



- Targeting competitive locations to drive coupon redemption
 - Dunkin': 3.6%
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- Not accounting for competitive response

Competitive price targeting

- Monopoly: targeting weakly dominates uniform pricing
 - Firms may optimize based on unilateral evaluations

Competitive price targeting

- Monopoly: targeting weakly dominates uniform pricing
 - Firms may optimize based on unilateral evaluations
- Oligopoly: targeting can result in lower prices and profits in every segment
 - Asymmetric best response a necessary condition for ambiguity (Corts, 1998)
 - Cannot necessarily commit to no targeting (Thisse and Vives, 1988; Shaffer and Zhang, 1995)

Research objectives

- Estimate the effect of price targeting on profits in a competitive market

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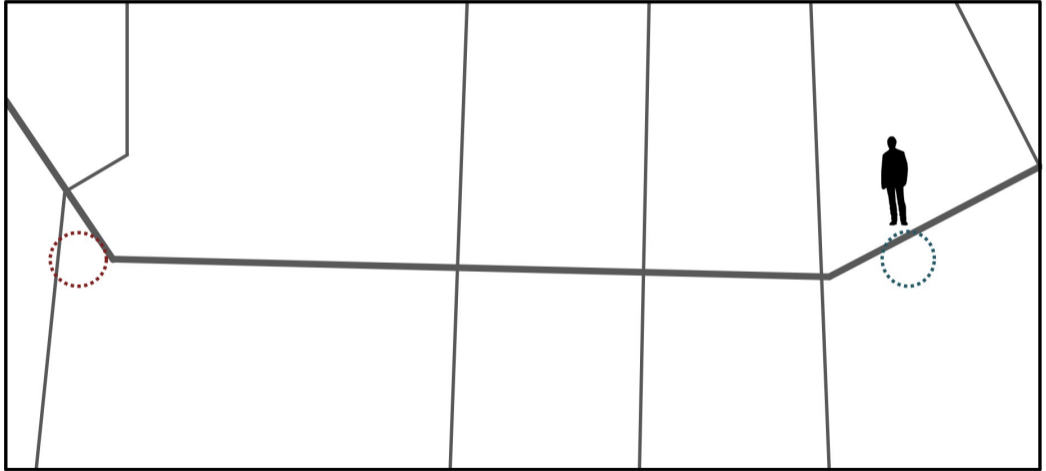
- Estimate the effect of price targeting on profits in a competitive market
- Evaluate the adequacy of unilateral optimization

Research objectives

- Estimate the effect of price targeting on profits in a competitive market
- Evaluate the adequacy of unilateral optimization
- Challenge: firms (and researchers) lack information on own price response under varying competitive prices

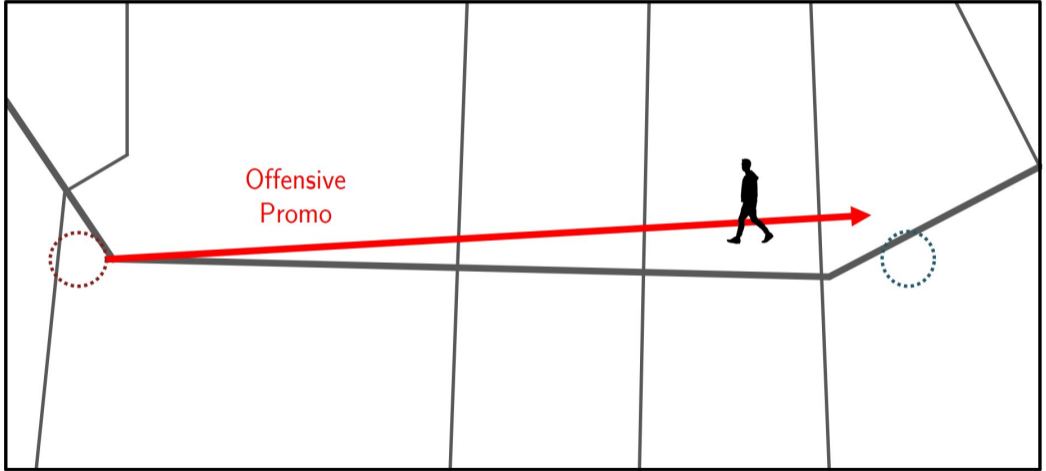
Agenda

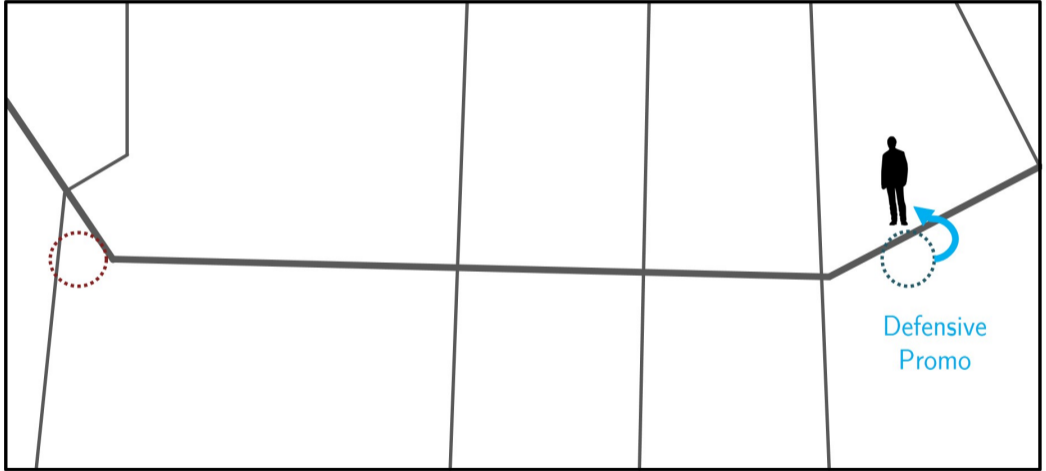
- 1 Introduction
- 2 Field Experiment
- 3 Model
- 4 Results

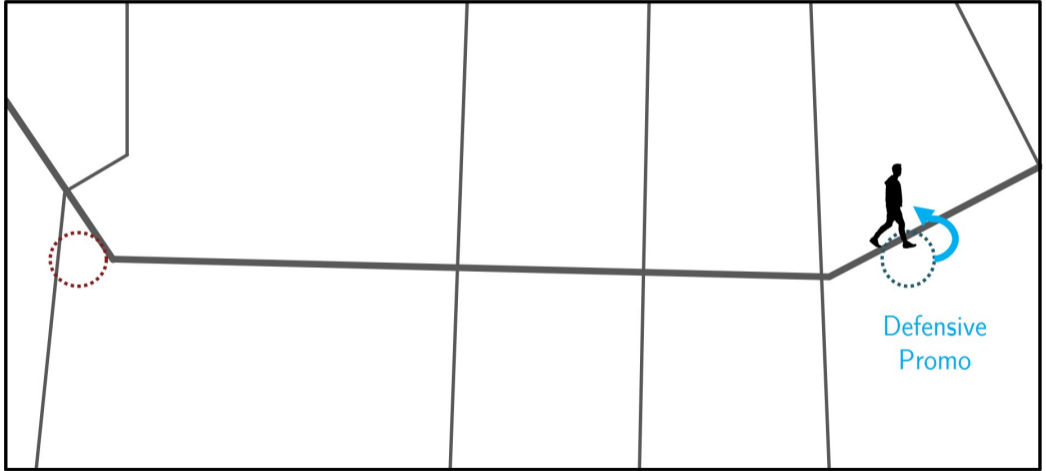


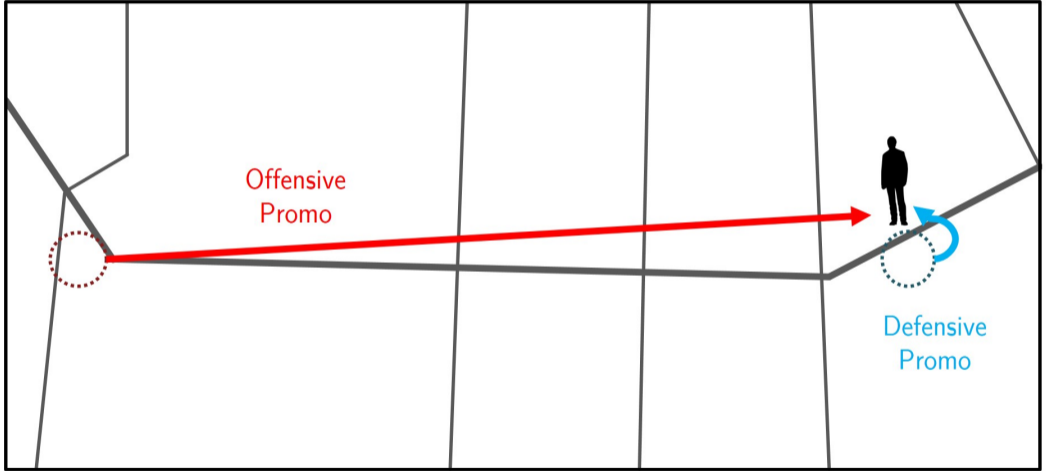


Offensive
Promo









Experimental design

- Randomly assigned prices
 - 3 levels for offense (holdout, medium, high)
 - 3 levels for defense (holdout, low, medium)

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- Observed segments
 - 2 locations (symmetric design)
 - 2 behavioral types (high and low based on recency)

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- $N = 500$ per cell, 18,000 total, mid-day on a Saturday

Aggregate response



Aggregate response

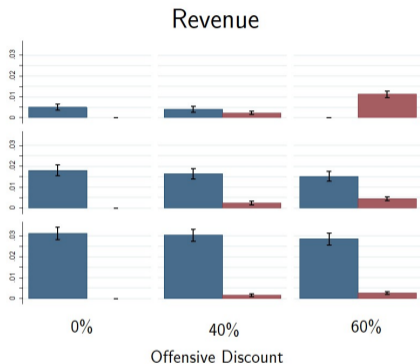


Aggregate response



Asymmetric cross-promotional effects

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Asymmetric cross-promotional effects
Defense is effective, but all firms still discount

Observations

- Similar pattern across 4 segments
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- Similar pattern across 4 segments
- In “equilibrium” everyone chooses maximum discount
- Discrete pricing treatments limit observed strategy sets
 - Limited range and resolution

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- Derive best response functions
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- Identify fixed points
 - Compare profits across targeting scenarios

Demand model

- Consumers choose $y \in \{A, B, C\}$, where $j = A, B$ denote the theaters and $j = C$ is the outside option
- $k = 1, \dots, K$ observable segments, with population weights λ^k
- p_j is the ticket price at theater j

Utility

- Consumer h 's utility if a member of segment k :

$$u_{hA} = \theta_A^k - \alpha^k p_A + \tilde{\epsilon}_{hA}$$

$$u_{hB} = \theta_B^k - \alpha^k p_B + \tilde{\epsilon}_{hB}$$

$$u_{hC} = \tilde{\epsilon}_{hC}$$

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$$u_{hC} = \tilde{\epsilon}_{hC}$$

- Correlated errors allow for flexible substitution patterns:

$$\eta_h \equiv \begin{bmatrix} \tilde{\epsilon}_{hA} - \tilde{\epsilon}_{hC} \\ \tilde{\epsilon}_{hB} - \tilde{\epsilon}_{hC} \end{bmatrix} \sim N(0, \Psi)$$

Estimation

- We can express utilities as:

$$U_h \equiv \begin{bmatrix} u_{hA} \\ u_{hB} \end{bmatrix} = B^k X + \eta_h$$

- And choice probabilities as:

$$Pr(y_h = j | B^k, X, \Psi^k) = Pr(u_{hj} - u_{hi} > 0, \forall i \neq j)$$

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- Transformation of the utilities leads to a trinomial probit
- Estimate using MCMC separately for each segment
- Retain R posterior draws for subsequent computations, $\{B^{r,k}, \Psi^{r,k}\}$

Scenarios for comparison

- Competitive equilibrium with uniform pricing

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- Competitive equilibrium with uniform pricing
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Scenarios for comparison

- Competitive equilibrium with uniform pricing
- Competitive equilibrium with targeted pricing
- Unilateral targeting
 - A deviation from uniform pricing, without competitive response

Uniform pricing

- Firm j 's pricing problem

$$p_j^{uniform} = \underset{p}{\operatorname{argmax}} \left\{ p \sum_{k=1}^K \lambda^k \mathbb{E} \left[\operatorname{Pr} (j | B^k, p, \Psi^k) | \mathbf{D}^k \right] \right\}$$
$$\approx \underset{p}{\operatorname{argmax}} \left\{ p \left[\sum_{k=1}^K \lambda^k \frac{1}{R} \sum_{r=1}^R \operatorname{Pr} (j | B^{r,k}, p, \Psi^{r,k}) \right] \right\}$$

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- FONC

$$\sum_{k=1}^K \lambda^k \sum_{r=1}^R \operatorname{Pr} (j|B^{r,k}, p, \Psi^{r,k}) + p_j^{uniform} \sum_{k=1}^K \sum_{r=1}^R \lambda^k \frac{\partial \operatorname{Pr} (j|B^{r,k}, p, \Psi^{r,k})}{\partial p_j} = 0$$

Targeted pricing

- Firm j 's pricing problem for a partition Ω of the $K = 4$ segments

$$\begin{aligned} p_j^\Omega &= \underset{p}{\operatorname{argmax}} \left\{ \sum_{\omega \in \Omega} p_\omega \sum_{k \in \omega} \lambda^k \mathbb{E} \left[\operatorname{Pr} (j | B^k, p, \Psi^{r,k}) | \mathbf{D}^k \right] \right\} \\ &\approx \underset{p}{\operatorname{argmax}} \left\{ \sum_{\omega \in \Omega} p_\omega \sum_{k \in \omega} \lambda^k \frac{1}{R} \sum_{r=1}^R \operatorname{Pr} (j | B^{r,k}, p, \Psi^{r,k}) \right\} \end{aligned}$$

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- FONC ($\forall \omega \in \Omega$)

$$\sum_{k \in \omega} \left(\lambda^k \sum_{r=1}^R \Pr(j|B^{r,k}, p, \Psi^{r,k}) + p_{j\omega}^\Omega \sum_{r=1}^R \lambda^k \frac{\partial \Pr(j|B^{r,k}, p, \Psi^{r,k})}{\partial p_j} \right) = 0$$

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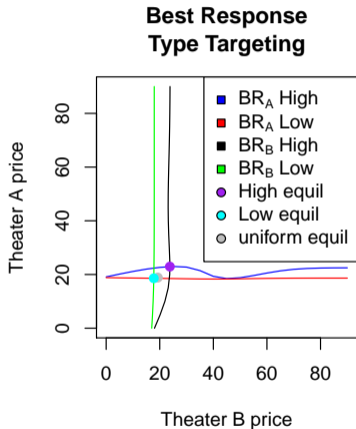
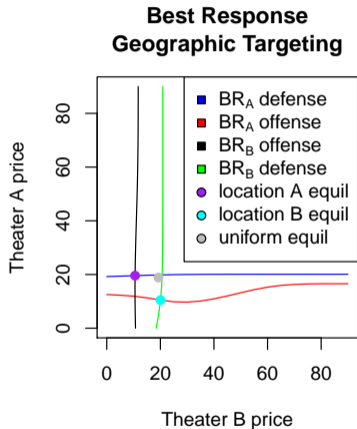
Parameter estimates

Coefficient	High, A	Low, A	High, B	Low, B
θ_A	-0.344	0.25	-1.066	-1.413
	(-0.651,-0.028)	(-0.178,0.695)	(-1.344,-0.79)	(-1.737,-0.964)
θ_B	-1.043	-0.628	-0.376	0
	(-2.002,-0.425)	(-1.499,-0.023)	(-0.741,-0.035)	(-0.311,0.349)
α	-0.027	-0.044	-0.027	-0.028
	(-0.033,-0.021)	(-0.053,-0.035)	(-0.036,-0.019)	(-0.043,-0.017)
$\rho_{A,B}$	0.796	-0.951	0.962	0.348
	(0.443,0.931)	(-0.99,-0.826)	(0.926,0.985)	(-0.953,0.955)

Elasticity estimates

	High, A		Low, A		High, B		Low, B	
	Both set regular prices of 75 RMB							
	p_A	p_B	p_A	p_B	p_A	p_B	p_A	p_B
Firm A	-5.33	0.15	-10.17	0.00	-16.99	13.17	-7.88	3.72
Firm B	3.44	-8.35	0.00	-11.82	0.02	-4.84	0.42	-8.96
	Both set prices of 30 RMB (60% off)							
	p_A	p_B	p_A	p_B	p_A	p_B	p_A	p_B
Firm A	-1.40	0.10	-2.07	0.00	-7.97	5.95	-3.10	0.77
Firm B	1.52	-3.44	0.00	-4.33	0.01	-1.25	0.03	-1.91

Best-response functions (targeting on one dimension)



Equilibrium profits vs. unilateral targeting profits

	Equilibrium	
	Firm A	Firm B
Uniform	196	291
Location	196	298
Type	198	295
Type and Location	197	297

Equilibrium profits vs. unilateral targeting profits

	Equilibrium		Unilateral	
	Firm A	Firm B	Firm A	Firm B
Uniform	196	291		
Location	196	298	198	302
Type	198	295	197	294
Type and Location	197	297	200	304

Conclusions

- Competition moderates the effectiveness of price targeting
- Firms could easily mis-estimate the profitability of targeting
 - Overestimate geographical targeting (asymmetric best response)
 - Underestimate behavioral targeting (symmetric best response)
- Future research: consumer response
 - Consumer dynamics (Shin and Sudhir, 2010)
 - Strategic consumers (Chen, Li, and Sun, 2015)

Uniform pricing equilibrium

		Firm A	Firm B
Price		19.2942	18.8641
Share:	High type, location A	0.1896	0.0168
	Low type, location A	0.2795	0.0465
	High type, location B	0.0005	0.2039
	Low type, location B	0.0106	0.2380
Expected profit per 100 customers messaged		196.04	291.33

Equilibrium prices

	Market	Firm A Price	Firm B Price
Uniform by geography	Pooled	19.294	18.864
	Loc A	19.575	10.564
by type	Loc B	10.485	20.064
	High	22.948	23.786
by geography and type	Low	18.597	17.775
	A High	21.335	10.870
	A Low	19.146	10.546
	B High	5.230	20.595
	B Low	11.874	19.322

Importance of considering competitive response

	Firm A Profit	Firm B Profit
Uniform pricing	196	291
Equilibrium targeting	197	297
Unilateral targeting	200	304

Targeting choice as a strategic game

	Firm B	
Firm A	Uniform pricing	Unilateral targeting
Uniform pricing	196, 291	194, 304
Unilateral targeting	198, 291	197, 297

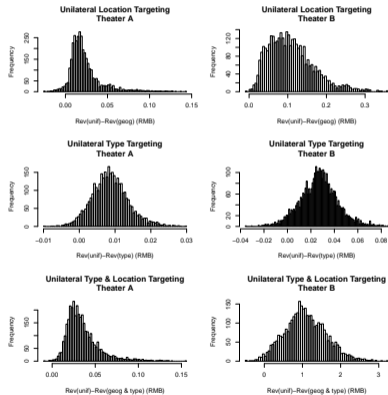
Experimental purchase response by segment



Experimental revenues by segment



Posterior profit differences: unilateral/equilibrium vs. uniform pricing



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